



Full Length Article

Light-yield response of liquid scintillators using 2–6 MeV tagged neutrons

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ABSTRACT

Knowledge of the neutron light-yield response is crucial to the understanding of scintillator-based neutron detectors. In this work, neutrons from 2–6 MeV have been used to study the scintillation light-yield response of the liquid scintillators NE 213A, EJ 305, EJ 331 and EJ 321P using event-by-event waveform digitization. Energy calibration was performed using a GEANT4 model to locate the edge positions of the Compton distributions produced by gamma-ray sources. The simulated light yield for neutrons from a PuBe source was compared to measured recoil proton distributions, where neutron energy was selected by time-of-flight. This resulted in an energy-dependent Birks parameterization to characterize the non-linear response to the lower energy neutrons. The NE 213A and EJ 305 results agree very well with existing data and are reproduced nicely by the simulation. New results for EJ 331 and EJ 321P, where the simulation also reproduces the data well, are presented.

1. Introduction

The detection of fast neutrons in fields of gamma-rays is often accomplished using organic liquid scintillators. Knowledge of the light-yield response of these organics is important for the understanding of the neutron and gamma-ray detection mechanism. The organic liquid scintillator NE 213 [1] and its more recent derivative NE 213A [2] have been used widely [3]. The performance of these organics is often employed as a benchmark in the development of fast-neutron detector materials and systems [4–7]. Newer liquid scintillators include the high scintillation-light yield EJ 305 [8] and EJ 309 [9], EJ 331 [10] (which includes a thermal-neutron sensitive gadolinium additive), and EJ 321P [11] (a mineral-oil based scintillator with a 2:1 hydrogen:carbon ratio). Recently, a GEANT4 model [12,13] was developed to facilitate the gamma-ray energy calibration [14] of these types of detectors. Here, this GEANT4 model was extended to include

the neutron scintillation-light yield with an energy-dependent Birks parameter. A polychromatic neutron source and the time-of-flight (TOF) technique were employed to measure the scintillator responses as a function of incident neutron energy. The simulated neutron scintillation yield corresponding to the maximum neutron-energy deposition was compared to the measured scintillation yield at the edge of the recoil-proton distribution. This edge corresponds to all of the kinetic energy of the incident neutron being transferred to a scintillator hydrogen atom in a single collision. In this paper, a detailed study of the light yield of the NE 213A, EJ 305, EJ 331 and EJ 321P scintillators is presented. Results for NE 213 and EJ 305 are compared with previous studies and first results are presented for EJ 331 and EJ 321P. The excellent agreement between the simulated neutron scintillation-light yield and the data highlights the detailed understanding of the underlying scintillation mechanisms and light-collection processes.

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Table 1
Selected scintillator properties.

Scintillator	NE 213A [1]EJ 305 [8]EJ 331 ^a [10]EJ 321P [11]
Density [g/cm ³]	0.87 0.89 0.89 0.85
Light Yield (% Anthracene)	75% 80% 68% 21%
Peak emission wavelength [nm]	420 425 424 425
Flash point [°C]	54 45 44 115
H/C ratio	1.21 1.33 1.32 2.06
Gadolinium content [%w/w]	– – 1.5% –

^a These properties correspond to the datasheet for EJ 331 (0.5 Gd%w/w).

2. Apparatus

2.1. PuBe-based neutron and gamma-ray source

A ²³⁸Pu/⁹Be (PuBe) source provided the fast neutrons. ²³⁸Pu decays via α -particle emission to ²³⁴U producing α particles of the energy ~ 5.5 MeV [15]. A cascade of low-energy gamma-rays is emitted from the subsequent de-excitation of ²³⁴U to the ground state. α -particles which interact with ⁹Be via the $\alpha + {}^9\text{Be} \rightarrow {}^{12}\text{C} + n$ reaction produce neutrons with a maximum kinetic energy of ~ 11 MeV when the recoiling ¹²C is left in the ground state. When the recoiling ¹²C is left in the first-excited state, a 4.44 MeV gamma-ray is emitted from the subsequent de-excitation. This occurs $\sim 50\%$ of the time. Thus, the radiation associated with PuBe includes fast neutrons with energies up to ~ 11 MeV, low-energy cascade gamma-rays and energetic 4.44 MeV gamma-rays. Energy conservation restricts the maximum energy of neutrons emitted in coincidence with a 4.44 MeV gamma-ray to ~ 6 MeV. The neutrons are “tagged” if both particles are detected, as the coincident 4.44 MeV gamma-ray provides a reference for a TOF measurement. The PuBe source emitted $\sim 2.9 \times 10^6$ neutrons per second [16] nearly isotropically, see Ref. [17].

2.2. Detectors

2.2.1. Gamma-ray trigger detectors

In the MeV energy range, Yttrium Aluminum Perovskite: Cerium (Ce⁺ doped YAlO₃, YAP:Ce) inorganic crystals [18] have good gamma-ray detection efficiency and low efficiency for neutrons. Four YAP:Ce detectors from Scionix [19] were used to detect both the low-energy cascade and 4.44 MeV gamma-rays. The cylindrical crystals were 1 in. \times 1 in. (diameter \times height) and were attached to a 1 in. Hamamatsu Type R1924 photomultiplier tube (PMT) [20]. Gamma-rays from a ²²Na source ($E_\gamma = 1.28$ MeV) were used to set the gains of the YAP:Ce detectors at an operating voltage of about -750 V.

2.2.2. Fast-neutron/gamma-ray detectors

The liquid scintillators were contained in identical cylindrical aluminum cells (94 mm in diameter \times 62 mm deep, ~ 430 cm³ detection volume, wall thickness 3 mm). A TiO₂-based reflector (EJ 520 [21]) coated the inside of each cell. Optical windows consisted of 5 mm thick borosilicate glass disks [22] glued to each cell using Araldite 2000+ [23]. The cells were filled through ports which were then sealed with Viton O-rings [24] compressed with aluminum screws. The cells were dry fitted (without optical coupling medium) to a cylindrical PMMA UVT [25] lightguide (72.5 mm in diameter \times 57 mm long). TiO₂-based reflector (EJ 510 [26]) was used to coat the external curved surfaces of the light guide and each assembly was dry fitted to a 3 in. diameter Electron Tubes type 9821KB PMT [27]. A set of springs was used to hold the cell, lightguide and PMT face in contact and a mu-metal magnetic shield was fitted around the PMT. The PMTs were operated at about -2 kV, the voltage employed in previous investigations [7,17,28,29]. The signal amplitudes were adjusted using variable attenuators (CAEN type N858 [30]). Typical 1 MeV_{ee} signals had amplitudes of about -700 mV, risetimes of ~ 5 ns and falltimes of ~ 60 ns.

Four different liquid scintillators were employed (Table 1):

- NE 213A, a pseudocumene-based variant of the organic NE 213 developed specifically for neutron/gamma-ray discrimination.
- EJ 305, a pseudocumene-based organic similar to NE 224 [31] and BC 505 [32] with a high scintillation-light yield.
- EJ 331, a pseudocumene-based organic doped with gadolinium (1.5% by weight).
- EJ 321P, a mineral-oil based scintillator with a hydrogen-to-carbon ratio larger than 2.

2.3. Experimental setup

Fig. 1 shows the experimental setup. A water-filled shielding cube known as the “Aquarium” [33] housed the PuBe source. Each side wall of the cube had a central cylindrical aperture (17 cm in diameter \times 50 cm in length) which allowed a mixed beam of fast neutrons and gamma-rays to escape. Four YAP:Ce detectors were placed at a distance of ~ 10 cm from the center of the source which was placed at the center of the cube and thus centered on the beam ports. A Pb-shielding hut was constructed outside one of the beam ports. It contained the liquid-scintillator detectors positioned at a distance of 92.5 cm from the center of the PuBe source. The symmetry axis of the neutron detector was aligned parallel to the beam port and pointed directly at the source. The background rate inside the Pb-shielding hut was measured to be < 1 Hz with a 1.5 in. diameter \times 1.0 in. length CeBr₃ inorganic scintillator detector (-600 V, -50 mV threshold). In comparison, the neutron detectors showed a background rate of < 100 Hz (-2 kV, -25 mV threshold). A $\sim 10 \times 10$ mm² aperture was left in the Pb shielding to allow for the measurement of both line-of-sight low-energy cascade gamma-rays and energetic 4.44 MeV gamma-rays.

Two classes of events were of particular interest, see Ref. [28]:

1. “tagged-neutron” events: a fast neutron detected in the neutron detector in correlation with a 4.44 MeV gamma-ray detected in a YAP:Ce detector.
2. “gamma-flash” events: a low-energy cascade gamma-ray detected in the neutron detector in correlation with a 4.44 MeV gamma-ray detected in a YAP:Ce detector.

2.4. Electronics and data acquisition

Signals from the liquid-scintillator and YAP:Ce detectors were recorded using a CAEN VX1751 Waveform Digitizer [34]. A trigger threshold was set at -25 mV on the falling edge of the pulse. This started a $1 \mu\text{s}$ wide acquisition window over which 10^3 voltage samples were digitized with 10-bit precision on a dynamic range of 1 V. Software tools [35] for waveform analysis based on the Python [36] code libraries numpy [37], SciPy [38] and pandas [39] were developed and employed. The event-timing marker for each pulse was determined with an interpolating zero-crossing method [40] which largely removed the time walk associated with the internal falling-edge trigger. Fig. 2 shows the resulting waveform after the signal baseline was subtracted. The effective total signal charge ($6.35 \pm 5.5\%$ fC/channel) was determined by integrating each pulse over 500 ns starting 25 ns before the event-timing marker. Noise in the baseline-subtracted signal was less than 0.3 mV/ns.

2.5. Scintillation simulation and energy calibration

2.5.1. Scintillation simulation

For a particle of energy E that stops in a scintillator, the scintillation light yield is given by

$$L(E) = \int_0^R \frac{dL}{dx} dx, \quad (1)$$

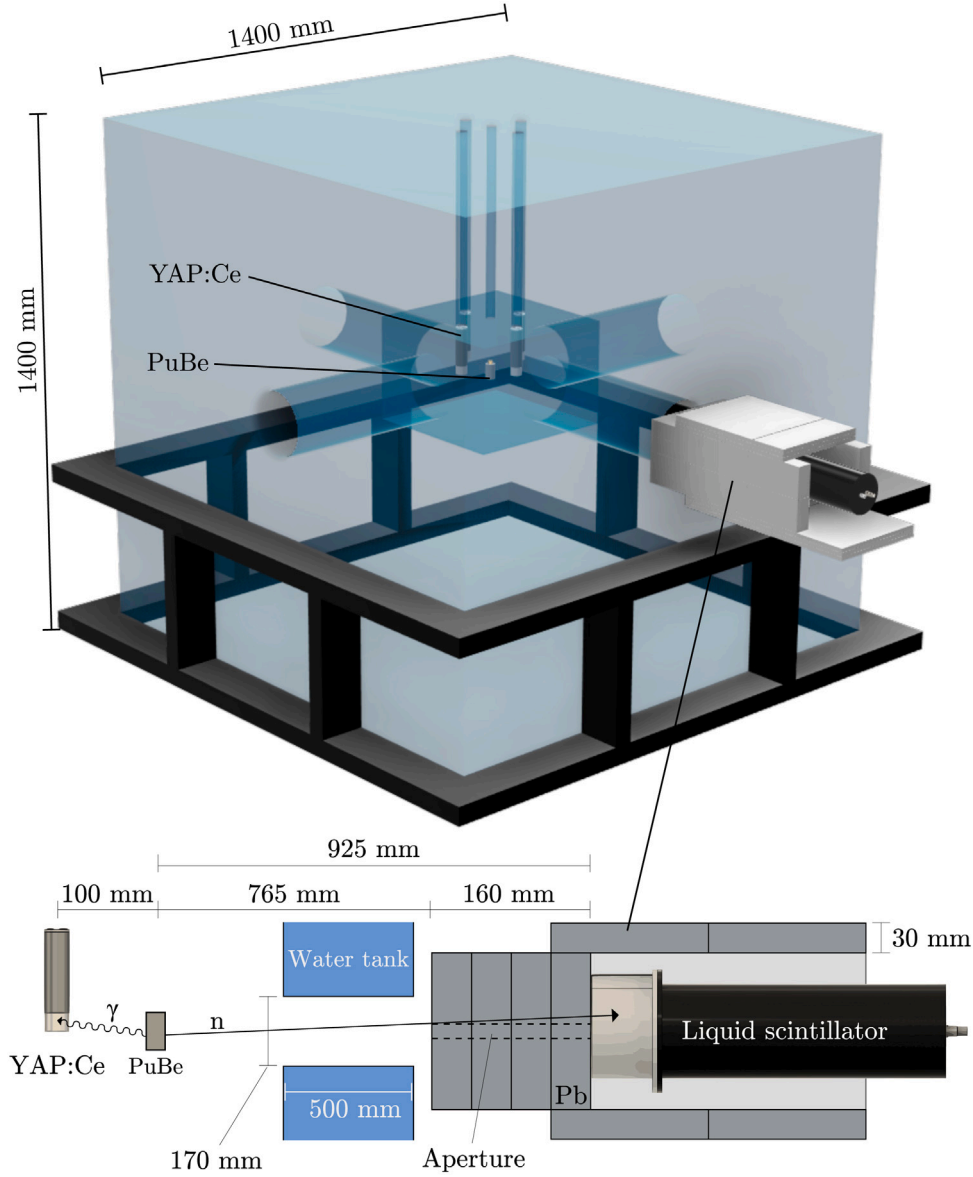


Fig. 1. Experimental setup. Top (to scale): 3D rendering of the water tank (Aquarium, blue) and support frame (black) which housed the PuBe source, YAP:Ce detectors and the Pb-shielded liquid scintillator detector are also shown. Bottom (not to scale): Side view of detector setup. The PuBe source emitted correlated 4.44 MeV gamma-ray/fast-neutron pairs. A $\sim 10 \times 10 \text{ mm}^2$ aperture in the line-of-sight shielding enabled the gamma-flash measurements used to calibrate the TOF measurements. For interpretation of the references to color in this figure caption, the reader is referred to the web version of this article.

where $\frac{dL}{dx}$ is the scintillation gradient with respect to the path-length increment dx and R is the particle range. For minimum-ionizing particles such as the electrons produced by the gamma-ray sources employed here, the scintillation gradient is

$$\frac{dL}{dx} = S \frac{dE}{dx}, \quad (2)$$

where S is the scintillation efficiency and $\frac{dE}{dx}$ is the specific electron energy loss (stopping power). For electrons above $\sim 100 \text{ keV}$, $L(E)$ is linear and it is convenient to express L in terms of E_{ee} (equivalent electron energy, units MeV_{ee}). In contrast, non minimum-ionizing particles have non-linear scintillation gradients given by the Birks formula [41], which is often modified with the Chou correction [42] to improve agreement with data at lower energies

$$\frac{dL}{dx} = S \frac{\frac{dE}{dx}}{1 + kB \frac{dE}{dx} + C \left(\frac{dE}{dx} \right)^2}. \quad (3)$$

Here, kB is the Birks parameter and C is the Chou correction factor. The scintillation light yield is quenched with respect to minimum-ionizing electrons having the same specific energy loss.

Simulations of the detector response to gamma-rays and neutrons were performed using GEANT4 [12,13] version 4.10.04 patch 03 (8 February 2019) using a physics list based on the electromagnetic physics classes G4EmStandardPhysics and G4EmExtraPhysics, the hadronic physics class FTFP_BERT_HP and optical photon class G4OpticalPhysics. Scintillation photons were produced along the tracks of secondary charged particles, electrons (from gamma-rays) and protons or ^{12}C (from neutrons). Photons which reached the photocathode of the PMT generated photoelectrons with a probability derived from the wavelength-dependent quantum efficiency [27] of the PMT. The photoelectron yield as a function of incident energy is effectively a pulse-height distribution which can be compared to the measured data. Standard GEANT4 models the scintillation yield without the Chou

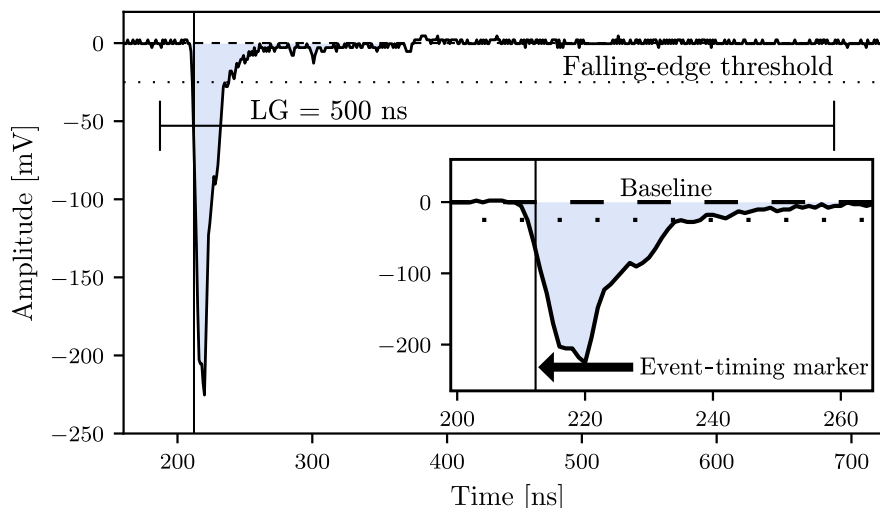


Fig. 2. Digitized waveform. The displayed signal has a risetime of ~ 5 ns, a peak amplitude of ~ 230 mV and a falltime of ~ 50 ns. The falling-edge trigger set to -25 mV is shown as a dotted line. The event timing marker and the 500 ns integration window are also shown.

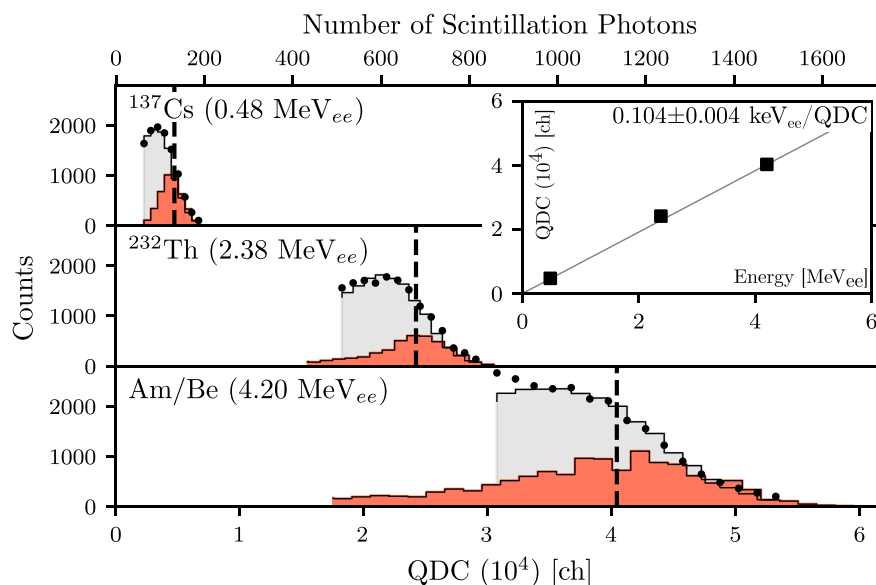


Fig. 3. Energy calibration for NE 213A. Measured and simulated Compton distributions for three gamma-ray energies. Main plot: measurement (filled circles), simulation (gray shaded histograms) and simulation with a very restrictive cut on the Compton edge (red shaded histograms). The mean values of the red shaded distributions are shown by the vertical dashed lines. Inset: the resulting QDC calibration. The uncertainties are smaller than the data points. For interpretation of the references to color in this figure caption, the reader is referred to the web version of this article.

correction ($C = 0$). For reproducibility, rather than modifying GEANT4 to include the C term, an energy-dependence in kB was permitted.

2.5.2. Energy calibration

The light yield produced by gamma-rays in scintillating liquids below pair-production threshold is dominated by Compton scattering due to the low average Z value of the constituent atoms. Although pair production becomes increasingly important as the gamma-ray energy increases above threshold, the Compton edge remains a valuable feature for calibration of the pulse-height spectrum.

The sources listed in Table 2 were placed in front of each neutron detector and spectra were obtained for run times of about one hour per run. The measured deadtime and pileup were negligible as the

Table 2

Calibration gamma-ray sources. Distances, gamma-ray energies and Compton-edge energies E_{CE} are listed.

Source	Distance [cm]	E_γ [MeV]	E_{CE} [MeV $_{ee}$]
^{137}Cs	50	0.66	0.48
^{232}Th	50	2.62	2.38
$^{241}\text{Am}/^9\text{Be}$ (AmBe)	200	4.44	4.20

count rates were low (< 1 kHz) and gain drift ($\pm 5\%$) was corrected for offline using the locations of Compton edges. Background subtraction was performed after a real-time normalization.

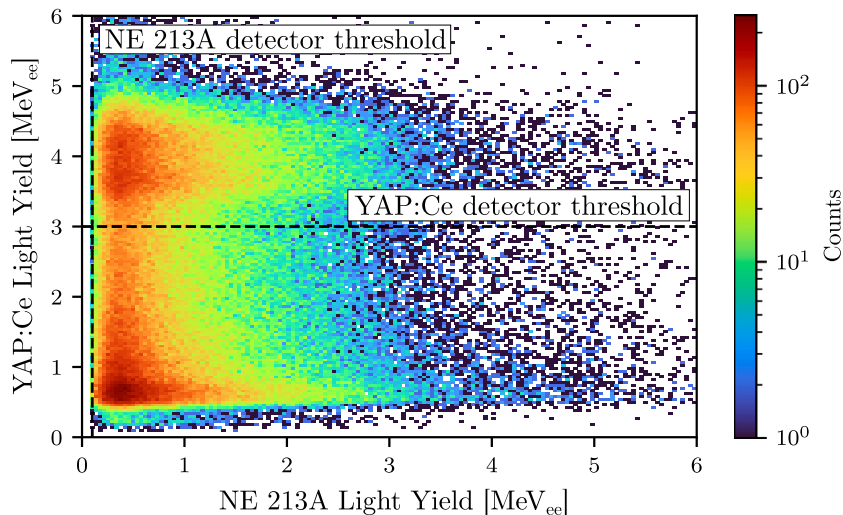


Fig. 4. Calibrated scintillation light yields, YAP:Ce and NE 213A. The dashed lines are the detector thresholds, 3 MeV_{ee} (YAP:Ce) and 100 keV_{ee} (NE 213A). The events lying above the YAP:Ce threshold are candidate tagged neutrons.

Source: Figure from Ref. [43]

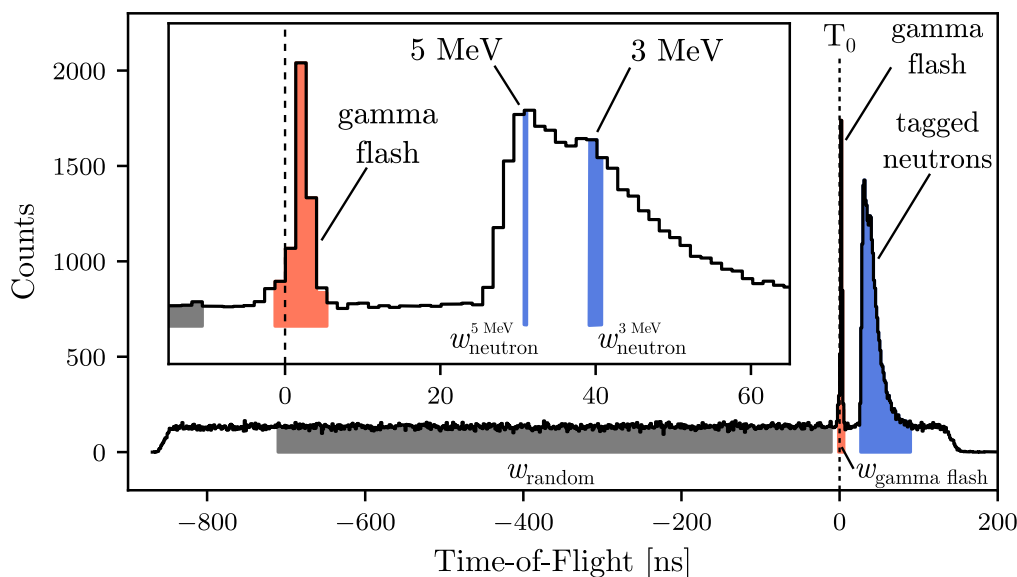


Fig. 5. TOF spectrum, NE 213A. Main plot: the full range of the digitization window, displaying T_0 (vertical dashed line), gamma flash (sharp red peak) and neutron distributions (broader blue peak). The gray shaded region of the flat background was employed for random subtraction. Inset: region-of-interest. The blue vertical areas illustrate the TOF range corresponding to 250 keV neutron-energy bins centered at 3 and 5 MeV. For interpretation of the references to color in this figure caption, the reader is referred to the web version of this article.

For the full GEANT4 simulations of the gamma-ray response, the only free parameter was the scale factor necessary to match the distribution of simulated photoelectrons at the photocathode of the PMT to the pulse-height spectrum measured by the detector. Smearing due to electronic jitter, extended source and finite detector volume was also included [14]. The simulated locations of the Compton edges were determined by selecting events where the electron energy was less than 2 keV from Compton-edge energies.

2.6. Event selection

Fig. 4 shows a typical energy-deposition correlation between a YAP:Ce and liquid scintillator (NE 213A) detector. The gain of the YAP:Ce detector was set using the full-energy peak of the 1.28 MeV gamma-ray from ^{22}Na and the Compton edge of the 4.44 MeV gamma-ray from PuBe. A 3 MeV_{ee} threshold cut for the YAP:Ce detector allowed

for the straightforward selection of 4.44 MeV gamma-rays and the coincident detection of corresponding neutrons in the liquid scintillator detector. The intense low-energy gamma-ray field at the center of the water cube prevented selection of lower energy cascade gamma-rays, which in principle could be used to tag higher energy neutrons. A 100 keV_{ee} threshold was applied to the NE 213A detector.

3. Results

Fig. 5 shows a neutron TOF distribution obtained for a ~ 96 cm (to center of liquid scintillator cell) flight path between the PuBe source and the NE 213A detector. The time T_0 located at 0 ns indicates the instant of emission of the gamma-ray/gamma-ray (gamma flash) or gamma-ray/fast-neutron (tagged neutron) pairs from the PuBe source. T_0 is extrapolated from the gamma flash timing to the right of T_0

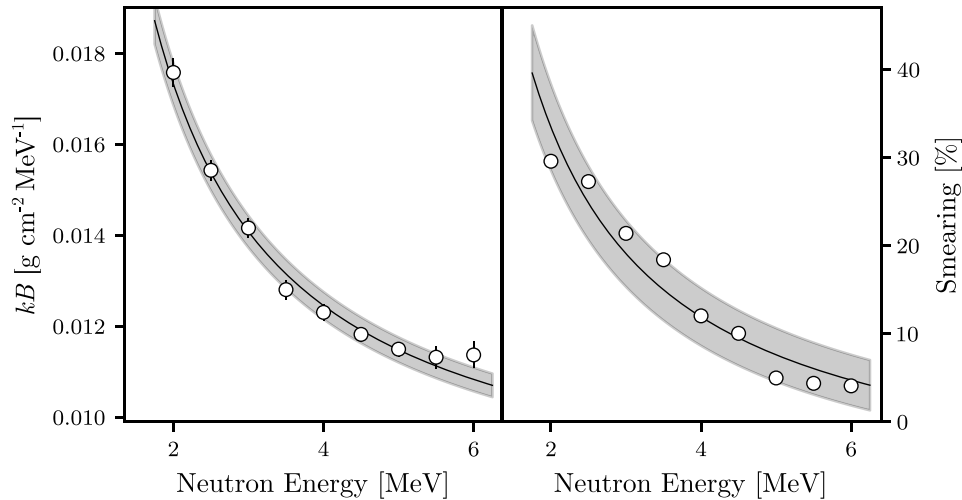


Fig. 6. Optimized kB values (left) and smearing values (right), EJ 305. Data points (open circles), fitted trends (solid lines) and uncertainties in the fitted trends (shaded areas) are shown.

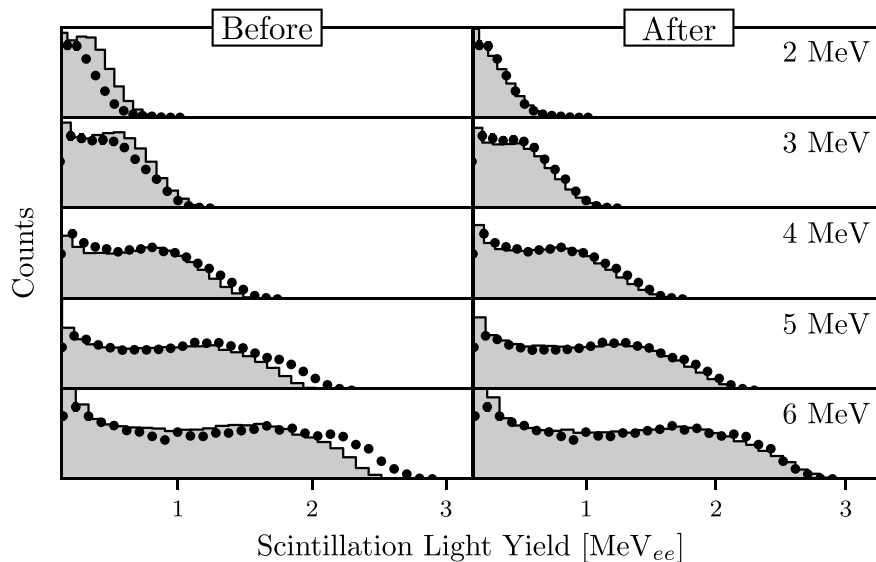


Fig. 7. Scintillation light yield, EJ 305. Measured calibrated scintillation light yield (filled circles) and simulations (shaded histograms) are shown before (left) and after (right) kB and smearing optimization. The uncertainties are smaller than the data points.

at ~ 2.9 ns. The combination of electronic jitter, extended source and finite detector volumes gives rise to the ~ 1 ns FWHM of the peak. The broad peak starting at ~ 25 ns results from tagged neutrons. The flat distribution corresponds to uncorrelated signals in the YAP:Ce and liquid scintillator. The contribution of this random distribution was subtracted from the tagged-neutron distribution using an analysis technique employed for tagged-photon experiments [44] which considered the ratio of the correlated and random time-window widths. Neutron TOF was converted to neutron kinetic energy on an event-by-event basis.

Standard GEANT4 does not handle the inclusion of the Chou correction to the Birks formula and thus kB was allowed to vary instead of modifying standard GEANT4. For each scintillator and each neutron energy bin, the simulation was aligned with the data using a least-squares minimization to obtain the optimum value of kB . Additional

fine-tuning in the agreement was then provided by smearing the simulated scintillation light yield. This smearing ranged from $\sim 35\%$ at 2 MeV to $\sim 5\%$ at 6 MeV for all scintillators. The smearing includes effects from non-pointlike source, signal-propagation and electronic noise. Fig. 6 shows the optimal kB and smearing values together with $1/\sqrt{E_n}$ fitted trends. Since counting statistics dominates the falloff in the kB and smearing distributions, the $1/\sqrt{E_n}$ dependence shown is anticipated. The fitted trends are used to generate the scintillation-light yields in the neutron simulations.

Fig. 7 shows the agreement between data and simulation over the entire energy range before and after kB and smearing optimization. Clearly, the energy-dependent kB and smearing optimizations are essential to the reproduction of the data.

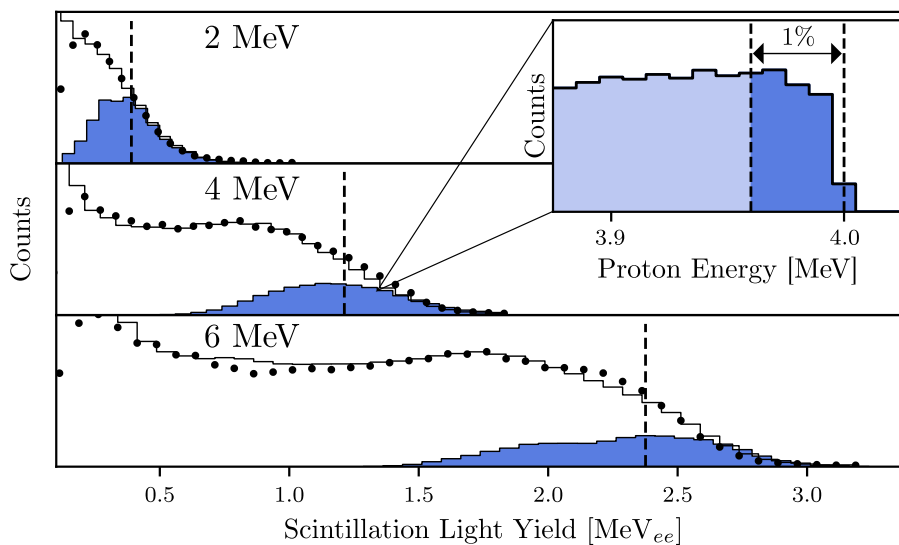


Fig. 8. Simulated maximum neutron-energy depositions, EJ 305. Main plot: measured scintillation light yield (filled circles) and full simulations (open histograms) for incident neutron energies 2, 4 and 6 MeV. Inset: simulated proton recoil energy for a 4 MeV pencil neutron beam directed at the center of the detector. The dark shaded region between the vertical dashed lines in the inset corresponds to a 1% energy cut and results in the dark shaded simulated scintillation light yield in the middle panel. The SMD locations are shown as vertical dashed lines. The uncertainties are smaller than the data points.

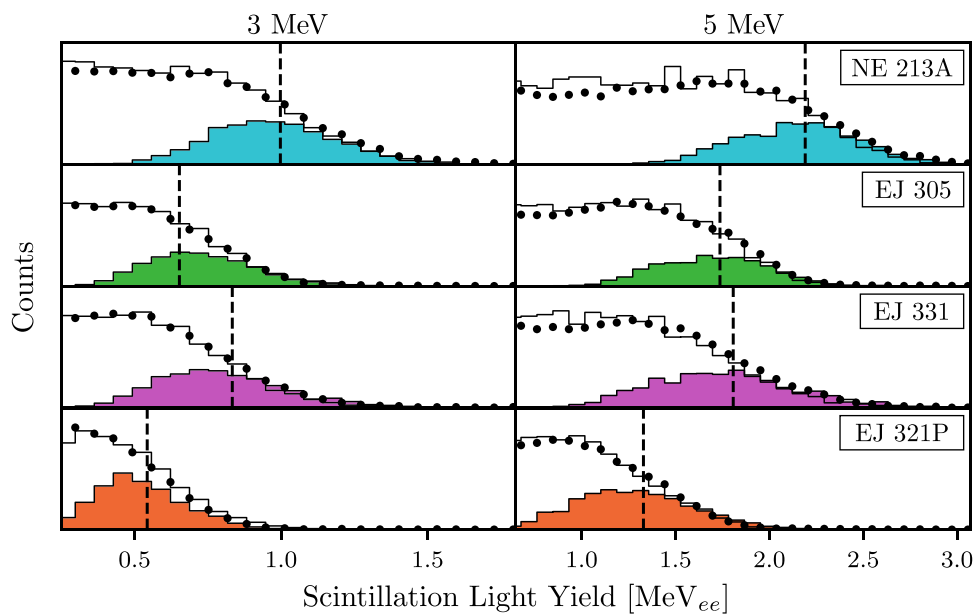


Fig. 9. Simulated maximum depositions, all scintillators. Measured scintillation light yields (filled circles) and full simulations (open histograms) are shown together with the SMD simulations (colored histograms). The SMD locations are shown as vertical dashed lines. The uncertainties are smaller than the data points.

Fig. 8 shows the neutron scintillation light yield from EJ 305 for the measured data, the full simulation and the simulated maximum neutron-energy deposition (SMD). To determine the SMD, a point source, non-divergent, monoenergetic (pencil) neutron beam was directed at the center of the scintillator cell. For each incident neutron-beam energy, the energy deposited by recoiling protons as the neutrons traversed the cell was recorded. A 1% cut on the high-energy edge of the proton-energy distribution was then enforced to populate the scintillation light-yield spectra corresponding to the SMD. To exclude tail contributions, the SMD distributions were then fitted with a Gaussian

function and values within $\pm 3\sigma$ of the mean were used to determine the average peak position.

Fig. 9 shows a comparison between the data, the full simulations, the SMD simulations and the corresponding SMD values for all scintillators for 250 keV neutron-energy bins centered at 3 and 5 MeV. The agreement between the simulation and the data was excellent.

Phenomenological parameterizations of neutron scintillation-light yield based upon the proton energy (E_p) in MeV have been used to characterize measured neutron spectra. The correlation between recoiling electron (L_{ee}) and quenched recoiling proton ($L(E_p)$) scintillation

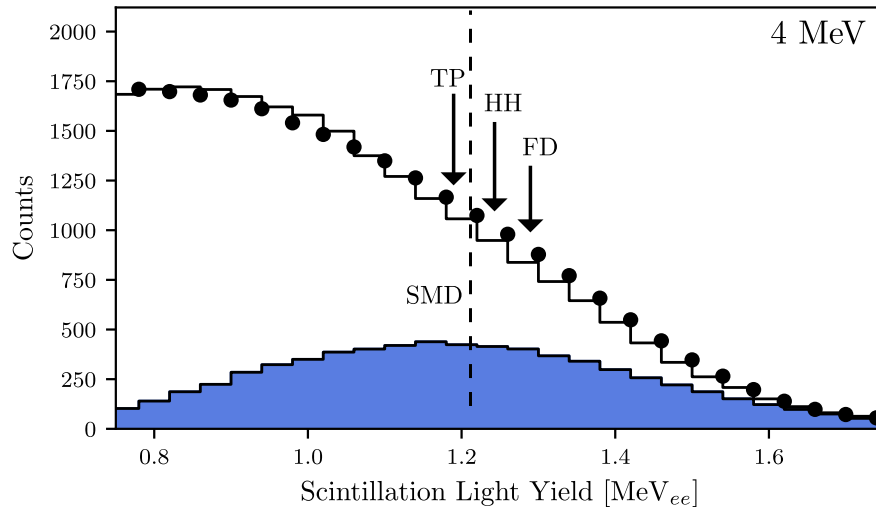


Fig. 10. Simulated maximum depositions and proton edge locations, EJ 305. Measured scintillation light yield (filled circles) and full simulation (open histogram) together with the SMD simulation (shaded histogram) and the SMD location (dashed line) are shown. The vertical arrows indicate the maximum recoil proton edges as predicted by the HH, TP and FD methods.

Table 3

Scintillation parameterization coefficients. Fitted coefficients for measured scintillators are shown together with published results for similar scintillators (in parentheses).

Eq. (4), Cecil et al.					Eq. (5), Kornilov et al.
Scintillator	p_1 [MeV _{ee} /MeV]	p_2 [MeV _{ee}]	p_3 [L/MeV]	p_4	L_1 [MeV]
NE 213A (NE 213)	0.65 ± 0.02 (0.83)	0.96 ± 0.12 (2.82)	0.42 ± 0.08 (0.25)	1.72 ± 0.36 (0.93)	3.67 ± 0.19
EJ 305 (EJ 309)	0.56 ± 0.01 (0.817)	0.99 ± 0.08 (2.63)	0.44 ± 0.05 (0.297)	1.55 ± 0.24 (1)	6.55 ± 0.38
EJ 331 (EJ 309)	0.58 ± 0.01 (0.817)	1.06 ± 0.08 (2.63)	0.29 ± 0.03 (0.297)	1.83 ± 0.20 (1)	5.34 ± 0.48
EJ 321P	0.43 ± 0.01	0.77 ± 0.07	0.26 ± 0.07	2.14 ± 0.43	6.68 ± 0.82

light yields was determined by Cecil et al. [45] for NE 213 to be

$$L(E_p) = L_{ee} = K \left[p_1 E_p - p_2 \left(1 - e^{-p_3 E_p^4} \right) \right], \quad (4)$$

while Kornilov et al. [46] suggested

$$L(E_p) = L_{ee} = L_0 \frac{E_p^2}{E_p + L_1}. \quad (5)$$

In Eqs. (4) and (5), K and L_0 are adjustable scaling parameters and p_{1-4} and L_1 are material-specific light-yield parameters. The maximum energy the incident neutron can transfer to the recoiling proton in a single scatter may be determined using three different methods to locate the high-energy edge of the scintillation distribution (see for example Ref. [29]):

1. The half-height (HH) method [47] involves fitting a Gaussian function to the edge of the recoil-proton distribution and selecting the half maximum as the location of the maximum proton-energy transfer.
2. The turning-point (TP) method also involves fitting a Gaussian function, but here the minimum of the first derivative of the function is selected as the maximum proton-energy transfer.
3. The first-derivative (FD) method [46] involves taking the first derivative of the distribution and selecting the minimum point as the maximum proton-energy transfer. In this work, the first derivative was evaluated by considering 5 adjacent bins above and below each data point (11 bins total).

For the purposes of comparison, the SMD employed in the simulation-driven analyses of scintillation light yield may be compared with

the maximum proton recoil edge employed in the HH, TP and FD methods. Fig. 10 shows the scintillation light yields from 4 MeV neutrons with the SMD and HH, TP and FD recoil-proton edge locations indicated.

While the HH, TP and FD locations generally have the same relative locations with respect to one another regardless of the neutron energy bin, the relative location of the SMD varies with respect to the locations of the HH, TP and FD with neutron energy.

For NE 213A and EJ 305, parameterization coefficients corresponding to NE 213 [45] (NE 213A equivalent) and EJ 309 [48] (EJ 305 equivalent) were employed to determine the light-yield curves corresponding to Eq. (4) (Cecil et al.). The base organic in EJ 331 was assumed to be EJ 309, see Table 3. The parameterization coefficients p_{1-4} for NE 213A, EJ 305, EJ 331 and EJ 321P were also determined by fitting to the maximum recoil proton-edge distributions for the HH, TP and FD methods. The fitted results for p_{1-4} from the HH, TP and FD distributions were averaged and fixed as constants. K was subsequently determined with these constants. The average uncertainty due to this process was 3.5%, consistent with the less than 3% uncertainties in the fitted locations.

The L_1 coefficients for all four scintillators were similarly determined by fitting to the data using Eq. (5) (Kornilov et al.). First, the HH, TP and FD neutron scintillation light yields were fitted allowing both L_0 and L_1 to vary. The resulting L_1 parameters for HH, TP and FD were then averaged and fixed as an L_1 constant. In comparison, Scherzinger et al. [29] report $L_1 = 2.48$ for NE 213 and Enqvist et al. [48] report $L_1 = 5.95$ for EJ 309. To the knowledge of the authors, no data exist for the L_1 parameter for NE 213A, EJ 305 or EJ 331.

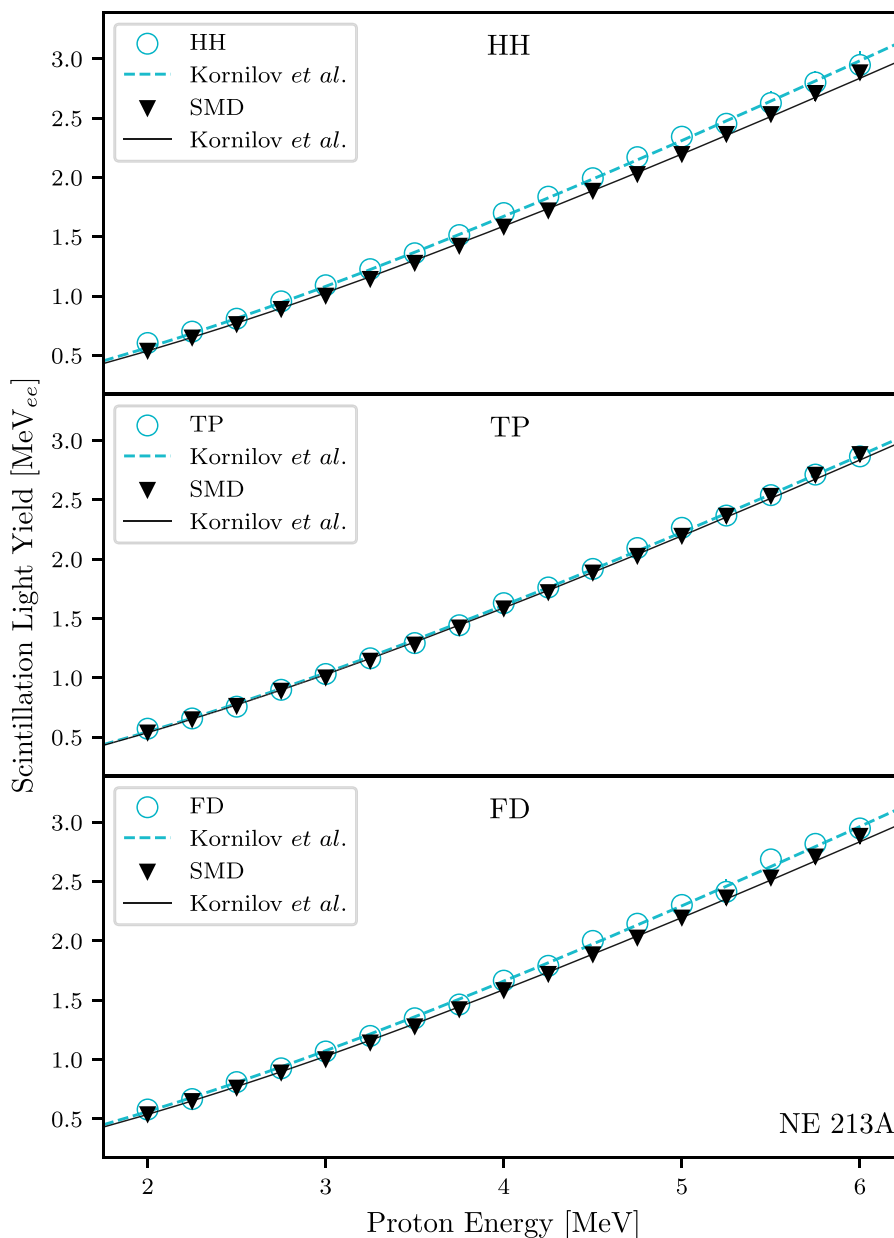


Fig. 11. Comparison of recoil-proton light yield, NE 213A. Results have been obtained using the SMD (filled triangles, identical in all panels), HH (top panel, open circles), TP (middle panel, open circles) and FD (bottom panel, open circles) methods. The Kornilov et al. parameterizations are shown for the HH, TP and FD methods (dashed lines) while the Kornilov fit for the SMD method is the solid lines, again identical in all panels. The uncertainties are smaller than the data points.

Fig. 11 shows light yield as a function of recoil proton energy for NE 213A. The SMD method for determining the maximum recoil proton edge is compared with the HH, TP and FD methods. A summary of the fixed parameters employed in the fitted functions may be found in Table 3. The scintillation light yield increases as a function of recoil proton energy, but not linearly due to quenching. The TP approach reproduces the SMD results well. There is little sensitivity when the HH and FD methods are used to determine the recoil proton edge, and both overestimate the light yields by up to ~6%.

Fig. 12 presents a comparison between the NE 213A SMD results detailed above and the scintillation light yield for NE 213 measured by both Gagnon-Moisan et al. [49] and Scherzinger et al. [29]. Agreement between the data sets and the SMD prescription is very good. The

classic scintillator NE 213A appears to be well understood in this energy region.

Fig. 13 shows light yield for EJ 305 as a function of recoil proton energy for the SMD and HH, TP and FD methods. Again, the TP approach reproduces the SMD results well. There is little sensitivity when the HH and FD methods are used to determine the recoil proton edge, and both overestimate the light yields by up to ~8%.

Fig. 14 presents a comparison between the EJ 305 SMD prescription and the scintillation light yields for NE 224 (EJ 305 equivalent) measured by both Czirr et al. [50] and Madey et al. [31] together with the parameterization for BC 505 (EJ 305 equivalent) determined by Pywell et al. [51]. The dash-dotted line represents the Pywell et al.

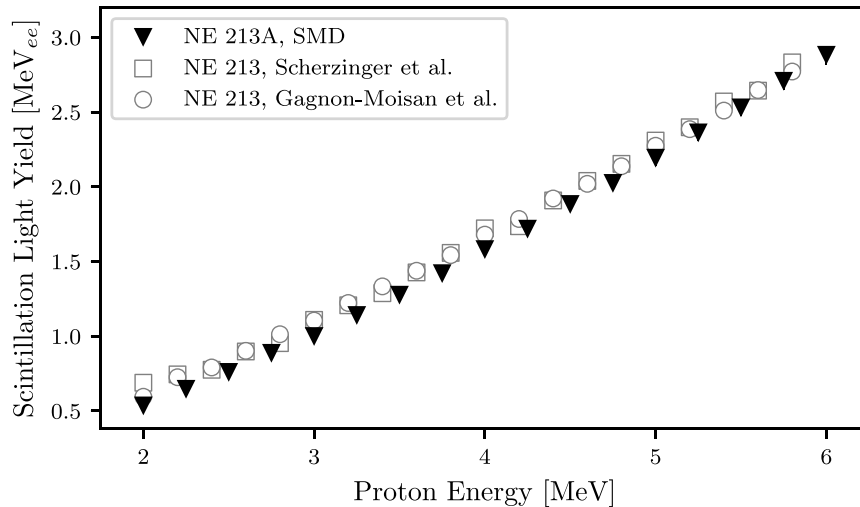


Fig. 12. Comparison of recoil-proton light yield measurements, NE 213A. Results include SMD approach (filled triangles), Gagnon-Moisan et al. [49] (open circles) and Scherzinger et al. [29] (open squares). The uncertainties are smaller than the data points.

Table 4

Fitted scintillation parameterization coefficients. The fitted and fixed parameters employed in the fits may be found in Table 3.

Scintillator	Edge	K_{fitted}	$\chi^2/\text{d.o.f.}$	K_{fixed}	$\chi^2/\text{d.o.f.}$	L_0 [MeV _{ee} /MeV]	$\chi^2/\text{d.o.f.}$
NE 213A	HH	0.99 ± 0.01	0.2	1.02 ± 0.01	1.6	0.80 ± 0.01	2.4
	TP	0.95 ± 0.01	2.1	0.98 ± 0.01	4.7	0.77 ± 0.01	1.8
	FD	0.98 ± 0.01	1.3	1.01 ± 0.01	1.8	0.80 ± 0.01	0.7
	SMD	0.94 ± 0.01	1.5	0.97 ± 0.01	2.2	0.76 ± 0.01	0.4
EJ 305	HH	1.00 ± 0.01	2.7	0.87 ± 0.01	0.4	0.83 ± 0.01	0.7
	TP	0.96 ± 0.01	2.9	0.84 ± 0.01	1.3	0.79 ± 0.01	0.7
	FD	1.03 ± 0.01	1.7	0.90 ± 0.01	1.1	0.85 ± 0.01	0.7
	SMD	0.97 ± 0.01	1.2	0.84 ± 0.01	0.1	0.80 ± 0.01	0.3
EJ 331	HH	1.05 ± 0.01	6.1	0.91 ± 0.01	1.1	0.77 ± 0.01	0.6
	TP	1.00 ± 0.01	1.6	0.87 ± 0.01	0.7	0.74 ± 0.01	1.4
	FD	1.04 ± 0.01	1.5	0.90 ± 0.01	3.5	0.76 ± 0.01	2.9
	SMD	1.02 ± 0.01	4.2	0.88 ± 0.01	4.7	0.75 ± 0.01	3.2
EJ 321P	HH	0.99 ± 0.01	2.0	1.02 ± 0.01	1.3	0.65 ± 0.01	7.2
	TP	0.94 ± 0.01	3.0	0.97 ± 0.01	1.2	0.62 ± 0.01	3.2
	FD	0.99 ± 0.01	1.0	1.02 ± 0.01	1.7	0.65 ± 0.01	4.5
	SMD	0.95 ± 0.01	6.7	0.97 ± 0.01	3.2	0.62 ± 0.01	1.8

parameterization scaled by 0.76, determined by least-squares minimization. The scaled parameterization underestimates the scintillation light yields measured with NE 224 and shows a slightly weaker scintillation light-yield gradient than the SMD prediction. The comparison between NE 224, BC 505 and EJ 305 may not be optimal but nevertheless provides insight into the behavior of these closely related organics.

Fig. 15 shows light yield as a function of recoil proton energy for EJ 331 and EJ 321P. The manner of presentation is identical to that employed for Figs. 11 and 13 and the trends in the results are similar. The TP method does an excellent job of reproducing the SMD results for both scintillators while the HH and FD methods overestimates the light yields by up to ~5% (EJ 331) and ~7% (EJ 321P), respectively.

Table 4 presents a summary of the K and L_0 results extracted from fitting the Cecil et al. and Kornilov et al. curves (using the fixed parameters described in Table 3) to the scintillation light-yield data and SMD results shown in Figs. 11, 13 and 15. While generally not consistent within uncertainty, there is little to distinguish between the K and L_0 coefficients resulting from the different methods for determining the recoil proton edges. The NE 213A results are systematically ~3% lower

for K and about ~8% higher for L_0 than those measured for NE 213 by Scherzinger et al. [29]. This is due to the different value of L_1 being employed in this work. The K and L_0 coefficients corresponding to the SMD result are systematically lower than the HH, TP and FD results by ~5%.

4. Summary and discussion

Beams of energy-tagged neutrons from 2–6 MeV provided by a PuBe source have been used to perform a systematic study of the scintillation light-yield response of the scintillators NE 213A, EJ 305, EJ 331 and EJ 321P. Neutron tagging exploits the $\alpha + {}^9\text{Be} \rightarrow {}^{12}\text{C} + n + \gamma(4.44 \text{ MeV})$ reaction, with the gamma-rays providing a reference for measuring the TOF of the correlated neutron. The PuBe source and YAP:Ce gamma-ray detectors were placed within a water-filled shielding cube. The cube employed cylindrical ports to define beams of gamma-rays and fast neutrons. Pb shielding attenuated the majority of the direct gamma-rays from the PuBe and the background gamma-rays from the room (Fig. 1). The analog signals from the detectors were

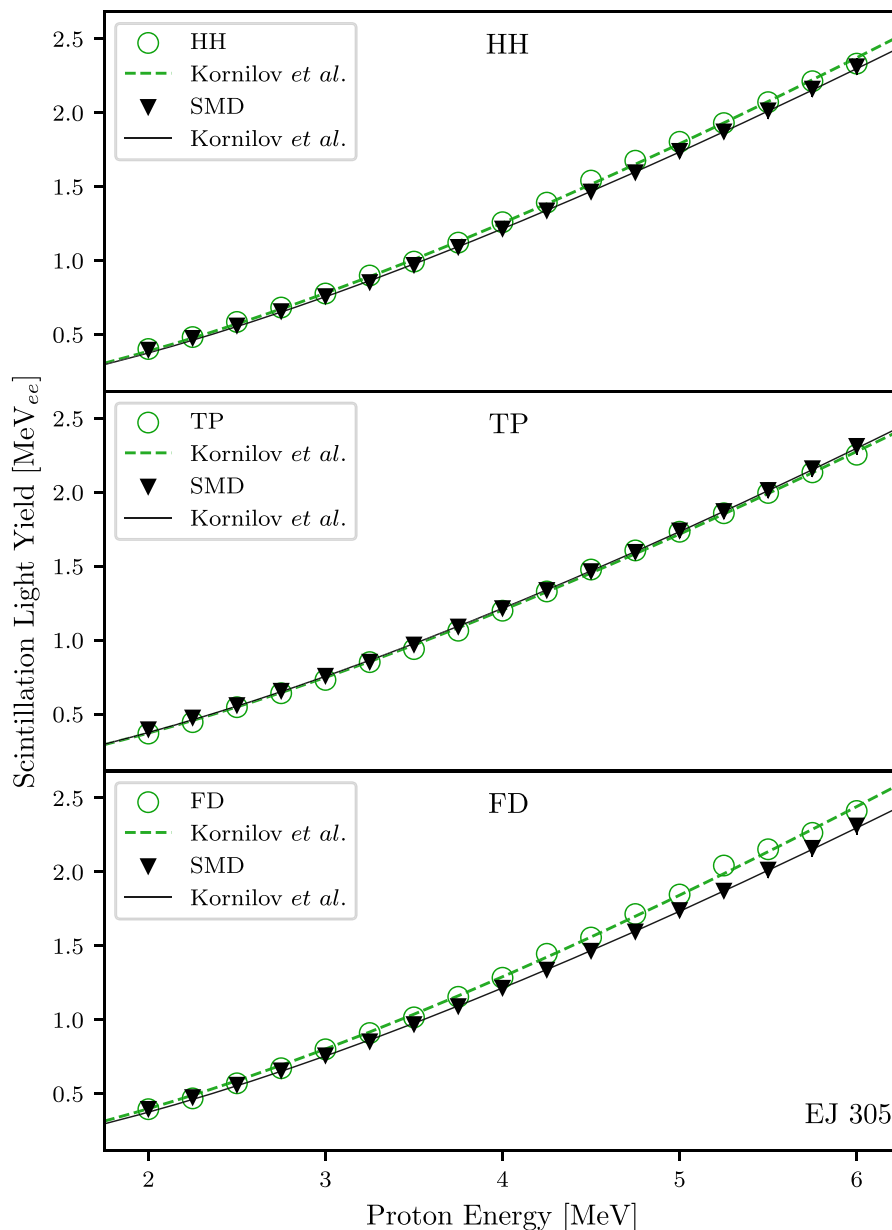


Fig. 13. Comparison of recoil-proton light yield, EJ 305. Results have been obtained using the SMD (filled triangles, identical in all panels), HH (top panel, open circles), TP (middle panel, open circles) and FD (bottom panel, open circles) methods. The Kornilov et al. parameterizations are shown for the HH, TP and FD methods (dashed lines) while the Kornilov fit for the SMD method is the solid lines, again identical in all panels. The uncertainties are smaller than the data points.

digitized on an event-by-event basis, with the event-timing marker determined using an interpolating zero-crossover method (Fig. 2). Energy calibration of the resulting spectra was performed using a GEANT4 model of the liquid scintillator to locate the position of the Compton edge in the measured gamma-ray spectra from gamma-ray sources (Fig. 3). The correlation between the energy registered in a YAP:Ce gamma-ray detector and the energy deposited in a liquid-scintillator was used to select tagged events (Fig. 4). Neutron energies were determined using the TOF method and the data were corrected for random background (Fig. 5).

Neutron scintillation-light yield was simulated using the same GEANT4 model and matched to the data by allowing an energy dependence in the Birks parameter (Fig. 7). The simulated yield corresponding to the maximum neutron-energy deposition was determined with a very strict cut on the deposited neutron energy (Fig. 8). The method

worked very well (Fig. 9). The relationship between the simulated maximum deposition (SMD) light yield and scintillation light yields corresponding to the maximum proton recoil edge for the HH, TP and FD methods was determined (Fig. 10). Data and simulation for NE 213A agreed very well (Fig. 11) and nicely reproduced existing results (Fig. 12). Data and simulation for EJ 305 also agreed well (Fig. 13), however they showed a steeper energy dependence compared with the parameterization of existing data (Fig. 14). Results were obtained for EJ 331 and EJ 321P (Fig. 15) for the first time to the knowledge of the authors.

The neutron-tagging technique facilitates the measurement of energy-dependent scintillator response using radioactive neutron sources. An accelerator-based neutron generator (such as [52,53]) could be used to extend the results to higher neutron energies, as the tagged neutron energy range provided by the PuBe source is relatively small. The

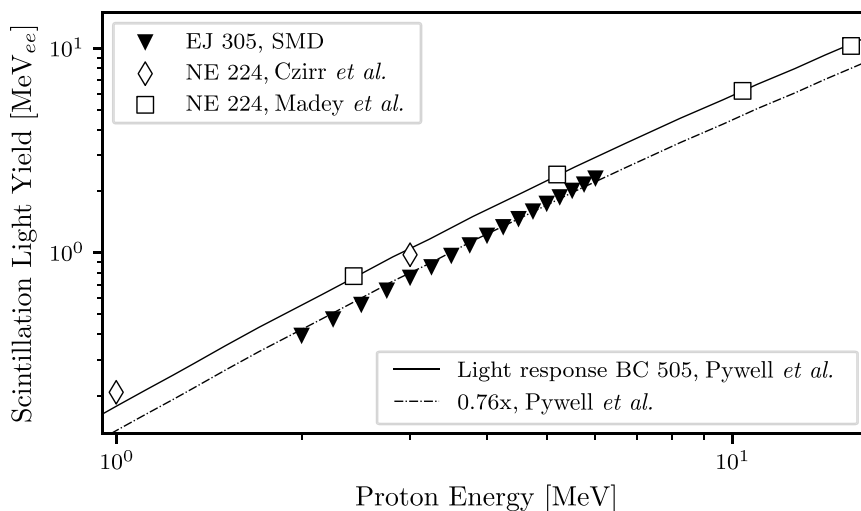


Fig. 14. Calibrated neutron scintillation light-yield comparison, EJ 305 (this work), BC 505 and NE 224. The NE 224 results of Czirr et al. (open diamonds) and Madey et al. (open squares) are shown together with the EJ 305 SMD prescription (filled triangles). The uncertainties are smaller than the data points.

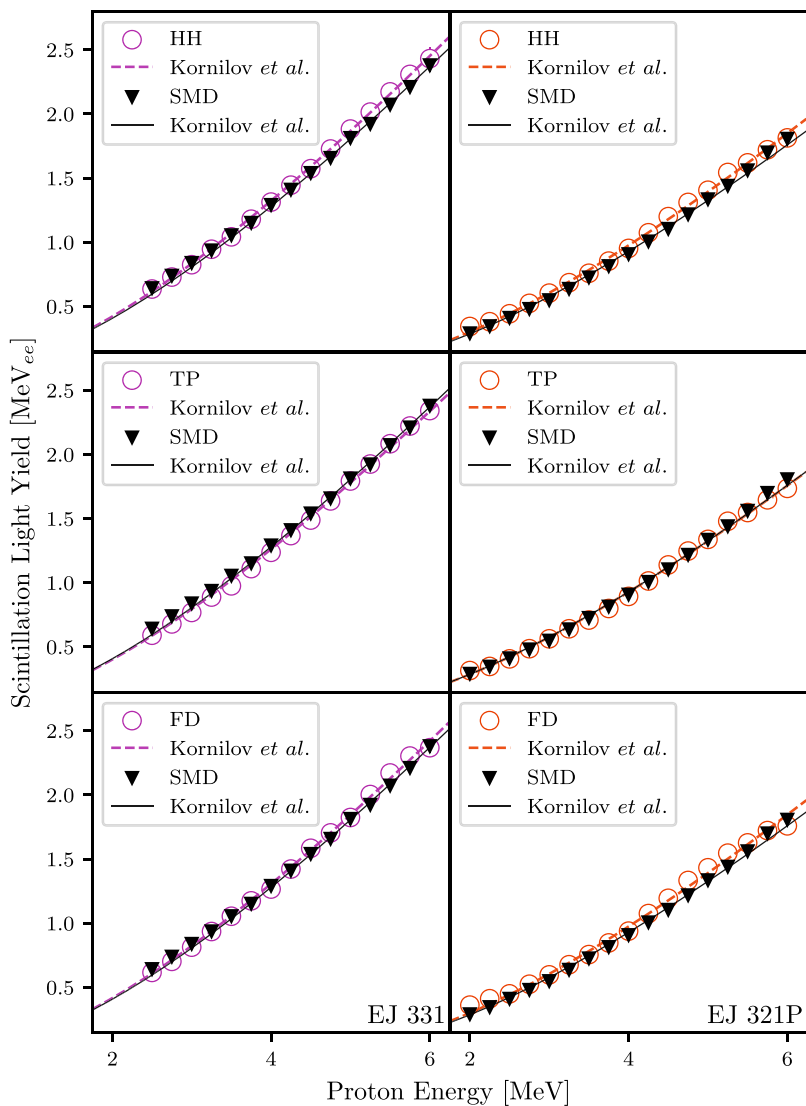


Fig. 15. Comparison of recoil-proton light yield, EJ 331 and EJ 321P. Results have been obtained using the SMD (filled triangles, identical in all panels), HH (top panel, open circles), TP (middle panel, open circles) and FD (bottom panel, open circles) methods. The Kornilov et al. parameterizations are shown for the HH, TP and FD methods (dashed lines) while the Kornilov fit for the SMD method is the solid lines, again identical in all panels. The uncertainties are smaller than the data points.

GEANT4 simulation developed and tested here provides valuable insight into the scintillation light production mechanism and the propagation of the scintillation light within the detector assembly. This allows for a precise determination of the scintillation-light yield for each of the scintillators.

CRedit authorship contribution statement

N. Mauritzson: Writing – review & editing, Writing – original draft, Visualization, Validation, Software, Project administration, Methodology, Investigation, Formal analysis, Data curation, Conceptualization. **K.G. Fissum:** Writing – review & editing, Writing – original draft, Visualization, Validation, Supervision, Resources, Project administration, Methodology, Investigation, Funding acquisition, Formal analysis, Conceptualization. **J.R.M. Annand:** Writing – review & editing, Writing – original draft, Visualization, Validation, Supervision, Software, Methodology, Formal analysis, Conceptualization. **H. Perrey:** Writing – review & editing, Visualization, Supervision, Software, Investigation, Data curation. **R. Al Jebali:** Supervision. **A. Backis:** Supervision, Software, Investigation. **R. Hall-Wilton:** Supervision, Resources, Project administration, Funding acquisition, Conceptualization. **K. Kanaki:** Supervision, Software, Resources, Funding acquisition, Conceptualization. **V. Maulerova-Subert:** Supervision, Software, Investigation, Conceptualization. **F. Messi:** Writing – review & editing, Supervision, Investigation. **R.J.W. Frost:** Writing – review & editing, Supervision. **E. Rofors:** Supervision. **J. Scherzinger:** Supervision.

Declaration of competing interest

The authors declare that they have no known competing financial interests or personal relationships that could have appeared to influence the work reported in this paper.

Data availability

The data set is available for download at [doi:10.5281/zenodo.10053068](https://doi.org/10.5281/zenodo.10053068).

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